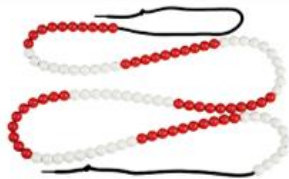
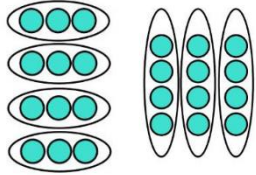
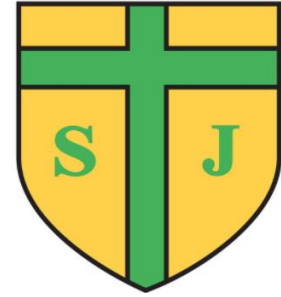
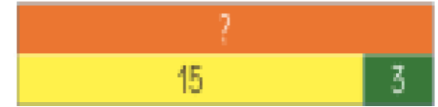


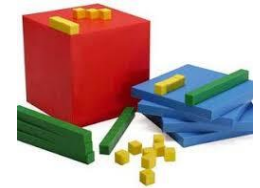
St Joseph's Calculation Policy (Simplified)



1	2	3	4	5	6	7	8	9	10
11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30
31	32	33	34	35	36	37	38	39	40
41	42	43	44	45	46	47	48	49	50
51	52	53	54	55	56	57	58	59	60
61	62	63	64	65	66	67	68	69	70
71	72	73	74	75	76	77	78	79	80
81	82	83	84	85	86	87	88	89	90
91	92	93	94	95	96	97	98	99	100



**CONCRETE
PICTORIAL
ABSTRACT**



0 to 30 Number Line



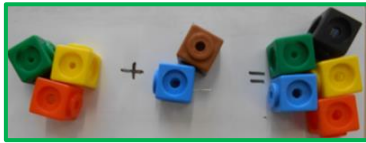
Our Calculation Policy

Become **fluent** in the fundamentals of mathematics, including through varied and frequent practice with increasingly complex problems over time, so that pupils develop conceptual understanding and the ability to recall and apply knowledge rapidly and accurately. In order to achieve this, we need to provide opportunities for children to investigate numbers by counting, cardinality (how many there are in the group), comparison and composition. They need to practise decomposing and recomposing numbers, recalling number bonds and multiplication tables to improve mathematical fluency.

Reason mathematically by following a line of enquiry, conjecturing relationships and generalisations, and developing an argument, justification or proof using mathematical language. The conversations we have and questions we ask are key to developing reasoning skills. We can ask children to describe, explain, convince others, justify and prove to promote their reasoning skills. Adults can support children to develop reasoning by modelling, using mathematical language, using sentence stems, group work, Cooperative learning, understanding how others work and making personal notes and recordings.

Can **solve problems** by applying their mathematics to a variety of routine and non-routine problems with increasing sophistication, including breaking down problems into a series of simpler steps and persevering in seeking solutions. Activities should be provided where children can solve number problems, practical problems and missing number problems. Problem solving is not just about solving the problem, it is about how they solved the problem. What strategies and mathematical concepts did they use? All pupils should have the opportunity to apply their mathematics to solve problems. The use of mathematical language, modelling and the bar model can all help support children to develop their problem solving skills. Higher attaining children need to solve problems that require more demanding reasoning and problem solving skills rather than harder numbers.

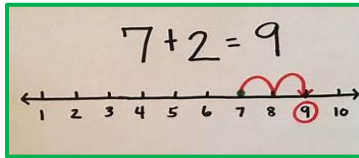
Addition starts by adding objects



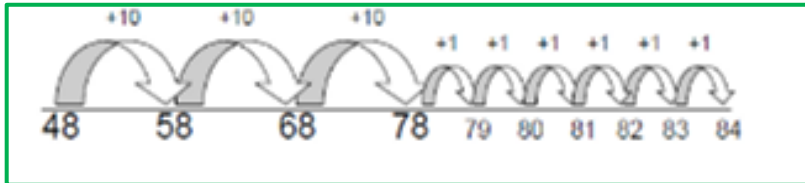
Bead string



Number line (Manipulatives and then onto jottings)

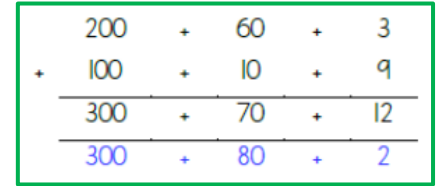
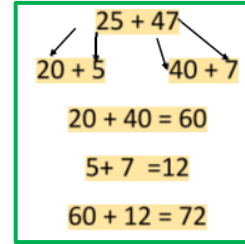


Empty number line (jottings)

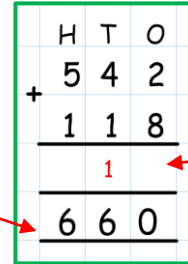


Addition

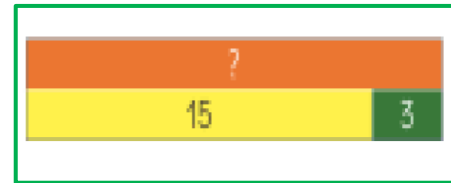
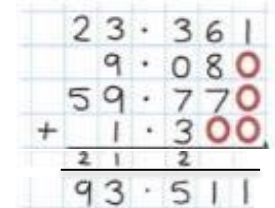
For larger numbers we regroup horizontally (Partitioning) Y2 and beyond



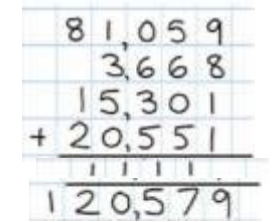
Column addition with exchange box Y3 and beyond.



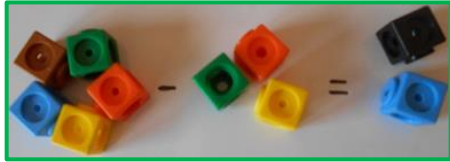
Exchange box/row for exchanges/regrouping



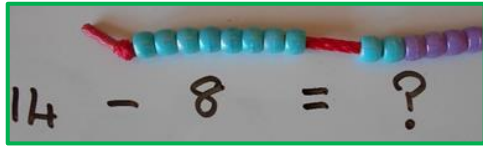
Bar model representative



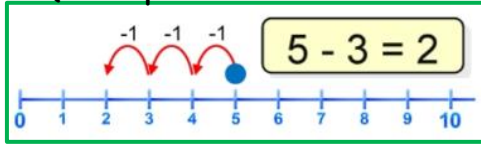
Subtraction starts with taking away objects



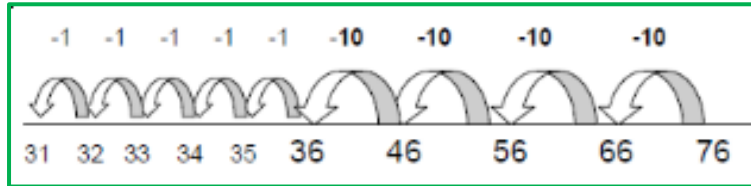
Bead string



Number line (Manipulatives and then onto jottings)

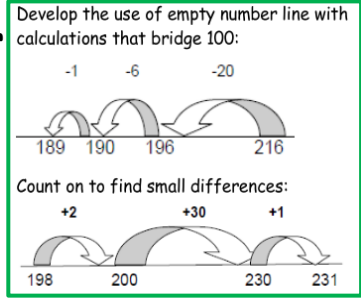


Empty number line (jottings)



Subtraction

Empty number lines that bridge 100



For larger numbers regroup horizontally (Partitioning)

$$\begin{array}{r} 90 \ 8 \\ - 30 \ 5 \\ \hline 60 \ 3 \end{array}$$

		50		13	
	200	+	60	+	3
-	100	+	10	+	9
<hr/>					
	100	+	40	+	4

Then vertically until we eventually progress to exchanging (Column method for exchanging) Y3 and beyond

$$\begin{array}{r} 5 \ 13 \ 1 \\ \cancel{5} \ \cancel{13} \ 6 \ 7 \\ - 2 \ 6 \ 8 \ 4 \\ \hline 3 \ 7 \ 8 \ 3 \end{array}$$

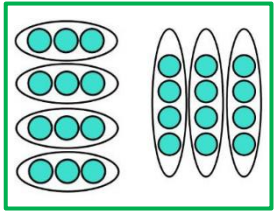
First, we group objects as a representation



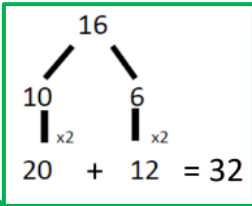
Bead string



Arrays



Number line and onto an empty number line to show as repeated addition (manipulatives and jottings)



Partitioning method

$$\begin{array}{r} 27 \times 5 = \\ 20 \times 5 = 100 \\ 7 \times 5 = 35 \\ \hline 135 \end{array}$$

Multiplication

Place value chart alongside short multiplication (Y3-4)

Hundreds	Tens	Ones	
	3	4	H T O
	3	4	3 4
	3	4	x 5
	1	2	1 2
	1	7	1 7 0

Grid method/Area model

Grid method		
X	30	6
4	120	24

36
x 4
24 (6 x 4)
120 (30 x 4)
<u>144</u>

Short multiplication (Y3-4)

	T	O	
	3	4	
x	2		
	6	8	

Exchange row/box

Long multiplication (Y5 and beyond)

	Th	H	T	O	
		5	1		
x		3	6		
		6	6		(1 x 6)
+	3	0	0		(50 x 6)
		3	0		(1 x 30)
	1	5	0	0	(30 x 50)
	1	8	3	6	

(Expanded version)

	HTh	TTh	Th	H	T	O	
			3	1	5	1	
x			3	6			
			1	8	9	0	6
+			9	4	5	3	0
	1	1	3	4	3	6	

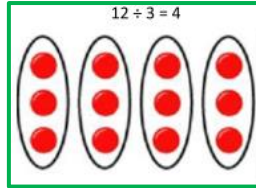
Division begins with sharing



Bead string

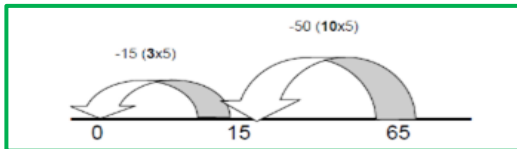
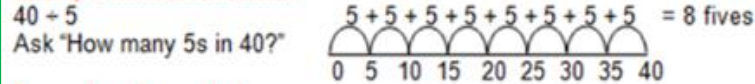


Sharing using arrays



Number line and onto an empty number line to show as repeated addition and subtraction (manipulatives and jottings)

Example without remainder:



Division

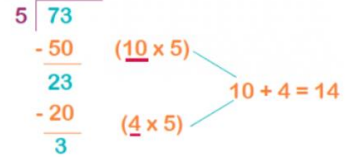
Chunking

Division using bar models



$$8 \div 4 = 2$$

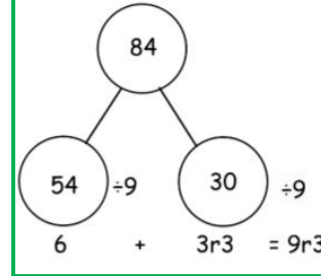
$$73 \div 5$$



How many 5s have been subtracted?
14 sets of 5, with 3 left over.

Answer: $73 \div 5 = 14 \text{ r}3$

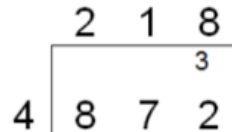
$$84 \div 9 = 9 \text{ r}3$$



Partitioning to aid division Y3 and beyond

Short division Y4 and beyond

Begin with divisions that divide equally with no remainder.



Move onto divisions with a remainder.

